EVENT-BASED MEASURES OF EFFECT SIZE

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"Event-based" measures of treatment effects

- Another approach to analyzing data from group comparison studies
- Instead of comparing means, dichotomize the event (outcome) of interest as "present" or "absent" in individual patients within the groups
- Then compare the distribution of events in the experimental group and in the control group
- All studies, no matter how complicated, can be simplified into a 2x2 table. . .a 2x2 table is a simple but powerful tool to communicate information (Dodson, 2007, p. 307 and p. 312)

Reasons to consider event-based measures (singly or in tandem)

- Dichotomizing forces decisions
 - What event is important?
 - What is threshold for defining the event as "present"?
 - How many people must be treated in order for one to experience the positive event?
- Event-based measures can enrich and sometimes change the perception of the impact of an experimental treatment or condition

Two common metrics for comparing event distributions (along with Cls)

- Proportions/Probabilities/Rates of occurrence
 # of events/# of people in the group
- Odds
 - Ratio of events/non-events in the group
- □ If 30 people receive treatment, and 10 improve
 - Proportion who improve with treatment = 10/30 = .33
 - Odds of improving with treatment = 10:20 = .50

Two common metrics for comparing event distributions

- Proportions/probabilities/rates in experimental and control groups can be compared in
 - "Raw" (absolute) values simple subtraction of proportions in the two groups
 - Relational values
 - Ratio of the rate of the event in one group to the rate in the other
 - Ratio of the odds of the event in one group to the odds in the other
- Odds in the experimental and control groups are typically compared relationally
 - Ratio of odds of the event in one group to the odds in the other

2x2 tables – might as well get used to them

Metric Type	Proportion	Odds
Absolute	 Difference in proportions Absolute Risk Reduction (ARR) Absolute Benefit Increase (ABI) Appropriate for cohort, cross-sectional and experimental clinical trial designs 	
Relative	Ratio of proportions • Relative Risk/Risk Ratio (RR)	Ratio of odds • Odds ratio (OR)

Rates of occurrence (proportions)

Begin with a 2 x 2 contingency table



Experimental Event Rate = proportion of people in Tx group who had the event = a/a+bControl Event Rate = proportion of people in Ctrl group who had the event = c/c+d

	Event present	Event absent	
	20	10	
Treatment group	а	b	
	С	d	
Control group	5	25	

Experimental Event Rate (EER) = a/a+b = 20/30 = 0.67Control Event Rate (CER) = c/c+d = 5/30 = 0.17

Odds of event in treatment group = 20:10 = 2Odds of event in control group = 5:25 = 0.2

Absolute Difference in Proportions

- Absolute arithmetic difference in rates of event for each group, i.e., EER CER
- Always between -1.0 and 1.0; zero if no association between event and group
- When the event of interest is avoiding a poor outcome, the difference in proportions is known as the Absolute Risk Reduction (ARR, or risk difference)
- When the event of interest is increasing a good outcome, the difference in proportions is known as the Absolute Benefit Increase (ABI)
- www.cebm.utoronto.ca (and many others)

A treatment example (Gillam et al., 2008)

- RCT of 3 types of language intervention and an active control
- NSD among group means on primary outcome measures, based on group mean comparisons
- Could also examine effects using an event-based metric
 - Did the groups differ in the number of children whose scores had moved into the normal range by the end of the study? (desirable outcome)
 - Did the groupsdiffer in the number of children whose scores remained in the disordered range at the end of the study? (undesirable outcome

Absolute Risk Reduction (ARR) (Gillam et al., 2008)

- Proportion of children who had a poor outcome (language scores remained abnormally low)
 - In treatment group (EER) 24.1%
 - In control group (CER) 29.6%
- $\Box ARR = EER CER = 24.1 29.6 = -5.5\%$
- The probability of a poor outcome was about 5% lower for children in the treatment group than for children in the control group.

Absolute Benefit Increase (ABI)

- Proportion of children who had a good outcome (language scores moved into the normal range)
 - In treatment group (EER) 75.9%
 - In control group (CER) 70.4%
- $\Box ABI = EER CER = 75.9 70.4 = 5.5\%$
- The probability of a good outcome was about 5% higher for children in the treatment group than for children in the control group.

Number Needed to Treat (NNT)

- The number of patients who would have to be treated for just one of them to experience the beneficial outcome
 - 1/ARR (for lowering risk of poor outcome)

■ ARR = EER - CER = 24.1 - 29.6 = - 5.5; NNT = 1/5.5 = 18

1/ABI (for increasing likelihood of good outcome)

■ ABI = EER - CER = 75.9 - 70.4 = 5.5; NNT = 1/5.5 = 18

- 18 children with language impairment would have to be treated with no effect for every 1 child who benefited from the treatment
- Interpretation depends on costs, harms, patient values and resources – but with an event-based metric these calculations can be undertaken much more easily

(Number Needed to Harm [NNH]

- Identical logic, but event of interest is a harm rather than a benefit
- 1/Absolute risk increase
- We haven't usually considered harms for behavioral treatments (the assumption of benefit is difficult to escape!)
- But harms may be psychological, social, emotional, financial (for patient, family and society)
 - There are no free lunches resources (\$\$) allocated to ineffective and/or harmful treatments could have been used for other problems or treatments

Relational Rate Metrics: Relative Risk

- The ratio of the event rate in the experimental group (EER) to the event rate in the control group (CER): i.e.,
- □ [a/(a+b)] / [c/(c+d)]
- Value can be any non-negative number; if value is
 1.0 there no association between event and group
- If value is 2.0, the event was twice as likely in experimental group as in control group

An example from a prediction study

Do children who obtain low scores on a language measure at one age have an increased risk of low scores on the same measure at a later age, as compared to children who had scores WNL?

An example from a cohort study

- N = 414 children with complete data sets (3 measures at each of 3 ages) from a cohort of 782 who were followed longitudinally for another study
- 50% male; 11% had mothers who were not high school graduates
- No significant neonatal medical history; monolingual English-speaking families
- Measures
 - Peabody Picture Vocabulary Test
 - Mean Length of Utterance
 - Nonword Repetition Task: Total Percentage Phonemes Correct

Correlations over ages (continuous measures)

Age 3–Age 4		Age 4–Age	Age 4–Age 6 Age 3–Ag		6
PPVT	0.73		0.77		0.69
MLU	0.53		0.36	0.35	

Note: all p-values < 0.0001

Cutoff values and ns for low (-1.5 SD) scores

Age 3	Aç	ge 4	Age	e 6		
PPVT	74.6	24	73.1	40	76.8	20
MLU	1.94	28	2.50	19	2.81	16
TPPC	33%	37	53%	38	64%	40

Relative risk (95% CI) for low scores, younger to older ages

A	ge 3 – Ag	e4 Aq	ge 4 – Ag	e 6
PPVT	0.5	(0.2-0.9)	5.0	(1.9-16.7)*
MLU	1.9	(0.8-4.6)	1.2	(0.6-2.7)
TOTPPC	1.0	(0.5-1.2)	0.9	(0.5-1.7)

Correlations tell us one story

Event distributions deepen our understanding of that story

- Dodson TB (2007). A guide for preparing a patientoriented manuscript. *Oral Surgery, Oral Medicine, Oral Pathology, Oral Radiology, and Endodontology, 104*, 307-315.
- Gillam RB, Frome Loeb D, Hoffman LM, Bohman T, Champlin CA, Thibodeau L, Widen J, Brandel J & Friel-Patti S (2008). The efficacy of Fast ForWord language intervention in school-age children with language impairment: A randomized controlled trial. *J Speech Lang Hear Res, 51*: 97-119.

Sistrom CL & Garvan CW (2004). Proportions, odds, and risk. *Radiology, 230*: 12-19.